Submit your solutions before the finishing date to the address: ProbOfTheWeek@utdallas.edu

## Problem of the Week

Finishing date: 04/06/2016

Let $a_{1}, a_{2}, \ldots$, be a nonincreasing sequence of positive real numbers, i.e. $a_{j} \geqslant a_{j+1}>0$. Assume also that $\sum_{n=1}^{\infty} a_{n}=\infty$. Find the following limit

$$
\lim _{n \rightarrow+\infty} \frac{a_{2}+a_{4}+\cdots+a_{2 n}}{a_{1}+a_{3}+\cdots+a_{2 n-1}}
$$

## Previous problem winners:

## Victor Sterling

(the only correct solution among several submissions)


